

**Filtering** A Frame is a either a 3 dimensional numpy array [height, width, channel] if it has more than 1 channel (BGR format). If it is grayscale, it is a 2 dimensional array [height, width]

## 1 Prewitt filter

The Prewitt filtering algorithm is consisted of two filters:

$$f_1 = \begin{bmatrix} -1 & 0 & 1 \\ -1 & 0 & 1 \\ -1 & 0 & 1 \end{bmatrix} \quad f_2 = \begin{bmatrix} 1 & 1 & 1 \\ 0 & 0 & 0 \\ -1 & -1 & -1 \end{bmatrix} \quad (1.1)$$

Each filter is applied to the source image and the absolute values are added together.

The function `prewitt()` applies the prewitt filtering algorithm to the input tensor.

### Help

- Be sure to increase the size of the type
- Create a result tensor
- For all frames, height, width and channel apply the filter
- Convert to result type to uint8

## 2 Sobel filter

The Sobel filtering algorithm is consisted of two filters:

$$f_1 = \begin{bmatrix} -1 & 0 & 1 \\ -2 & 0 & 2 \\ -1 & 0 & 1 \end{bmatrix} \quad f_2 = \begin{bmatrix} 1 & 2 & 1 \\ 0 & 0 & 0 \\ -1 & -2 & -1 \end{bmatrix} \quad (2.1)$$

Each filter is applied to the source image and the absolute values are added together.

The function `sobel()` applies the sobel filtering algorithm to the input tensor.

### Help

- Be sure to increase the size of the type
- Create a result tensor
- For all frames, height, width and channel apply the filter
- Convert to result type to uint8

## 3 Kirsch filter

The Kirsch filtering algorithm is consisted of four filters:

$$f_1 = \begin{bmatrix} -1 & 0 & 1 \\ -1 & 0 & 1 \\ -1 & 0 & 1 \end{bmatrix} \quad f_2 = \begin{bmatrix} 1 & 1 & 1 \\ 0 & 0 & 0 \\ -1 & -1 & -1 \end{bmatrix} \quad f_3 = \begin{bmatrix} 0 & 1 & 1 \\ -1 & 0 & 1 \\ -1 & -1 & 0 \end{bmatrix} \quad f_4 = \begin{bmatrix} 1 & 1 & 0 \\ 1 & 0 & -1 \\ 0 & -1 & -1 \end{bmatrix} \quad (3.1)$$

Each filter is applied to the each pixel of the source image. The result saved to the target pixel is the maximum absolute value of the four filters.

The function `kirsch()` applies the sobel filtering algorithm to the input tensor.

**Help**

- Be sure to increase the size of the type
- Create a result tensor
- For all frames, height, width and channel apply the filter
- Convert to result type to uint8

**4 Laplace filter**

The Laplace filtering algorithm is computed as:

$$\nabla^2 f(h, w) \simeq f(h, w) - \frac{1}{4} [f(h-1, w) + f(h+1, w) + f(h, w-1) + f(h, w+1)] \quad (4.1)$$

It is the difference between the pixel's intensity and the mean of the 4 neighbourhood of the pixel.

The function `laplace()` applies the sobel filtering algorithm to the input tensor.

**Help**

- Be sure to increase the size of the type
- Create a result tensor
- For all frames, height, width and channel apply the filter
- Convert to result type to uint8

**5 Local Thresholding**

The application of the previous filters in an image results in a grayscale output, where each pixel magnitude holds information about the existence of a pixel. If the magnitude is greater than a value, then we decide that an edge exists. So, a thresholding operation is required. In this exercise, a local thresholding method is applied, where the threshold value is local for each pixel. The computation of a threshold is:

$$T(h, w) = \bar{e}(h, w)(1 + p) \quad (5.1)$$

$$\bar{e}(h, w) = \frac{1}{2M + 1} \sum_{i=h-M}^{h+M} \sum_{j=w-M}^{w+M} e(i, j) \quad (5.2)$$

The function `local_threshold()` applies the local thresholding algorithm in an input tensor.

**Help**

- Create a result tensor
- For all frames, height, width and channel
- Be sure to calculate local mean as float
- Convert to result type to uint8